## Master of Both V

| Input file: | standard input |
| :--- | :--- |
| Output file: | standard output |
| Time limit: | 5 seconds |
| Memory limit: | 1024 mebibytes |

Prof. Chen is the master of data structures and computational geometry. Recently, he taught Putata and Budada the definition of a convex polygon. A convex polygon is a simple polygon (that is, no two vertices coincide and no two edges intersect unless two consecutive edges intersect at a vertex) with all interior angles strictly less than $\pi$.
Putata and Budada solved the convex checker problem. But Prof. Chen asked them to go further. Now, they have to maintain a multiset of segments $S$, initially empty, and support the following two types of queries:

- "+ px py qx qy": insert a segment with endpoints $(p x, p y)$ and $(q x, q y)$ into the multiset $S$.
- "- $i$ ", erase the segment inserted in the $i$-th query. It is guaranteed that the $i$-th query is an insertion query, and the corresponding segment is currently in the multiset.

After each query, Putata and Budada need to answer if there exists a convex polygon $\mathcal{C}$ with the following property. Let the vertices of the convex polygon be $p_{0}, p_{1}, p_{2}, \ldots, p_{m-1}$ in counter-clockwise order. For every segment $u \in S$, there exists an integer $j \in\{0,1,2, \ldots, m-1\}$ such that $u \subseteq p_{j} p_{(j+1) \bmod m}$. For two segments $e$ and $f$, we say $e \subseteq f$ if and only if, for every point $z \in e$, this point $z \in f$.
Please help Putata and Budada to solve this problem.

## Input

Each test contains multiple test cases. The first line contains a single integer $t\left(1 \leq t \leq 5 \cdot 10^{5}\right)$ denoting the number of test cases. For each test case:
The first line contains an integer $n\left(1 \leq n \leq 5 \cdot 10^{5}\right)$ denoting the number of queries.
Each of the following $n$ lines contains one query. The query begins with a character op $(o p \in\{+,-\})$.
If $o p=+$, then four integers $p x, p y, q x$, and $q y\left(-10^{9} \leq p x, p y, q x, q y \leq 10^{9}\right)$ follow, denoting an inserting query. It is guaranteed that $p x \neq q x$ or $p y \neq q y$.
Otherwise, an integer $i(1 \leq i \leq n)$ follows, denoting an erasing query. It is guaranteed that the $i$-th query is an inserting query, and the corresponding segment is currently in the multiset.
It is guaranteed that the sum of $n$ over all test cases does not exceed $5 \cdot 10^{5}$.

## Output

For each test case, print a line consisting of 0 s and 1 s . The $i$-th character must be 1 if the answer is true after the $i$-th query, otherwise it must be 0 .

## Example

| standard input | standard output |
| :---: | :---: |
| 4 | 11000001 |
| 8 | 11011 |
| $+0010$ | 1101 |
| + 5513 | 1111 |
| + 2021 |  |
| + 9762 |  |
| + 1222 |  |
| - 4 |  |
| + 0102 |  |
| - 2 |  |
| 5 |  |
| $+0011$ |  |
| + 0112 |  |
| + 0213 |  |
| - 2 |  |
| + 111010 |  |
| $4$ |  |
| $+0011$ |  |
| $+0010$ |  |
| $+0001$ |  |
| - 1 |  |
| 4 |  |
| $+0011$ |  |
| + 0011 |  |
| - 1 |  |
| - 2 |  |

