

# Fortune Wheel

Input file: *standard input*  
Output file: *standard output*  
Time limit: 1 second  
Memory limit: 512 mebibytes

A *Fortune Wheel* has  $n$  sectors numbered from 0 to  $n - 1$  in clockwise order. It also has an arrow pointing at one of the sectors. Right now, it is pointing at sector  $x$ .

You are very good at spinning the Wheel. More specifically, you have learned  $K$  distinct power spins, characterized by their power  $k_1, k_2, \dots, k_K$ . A *power spin* with power  $p$  means that you spin the Wheel with such power that the arrow would turn exactly  $p$  sectors clockwise: formally, from sector  $y$ , it would turn to sector  $(y + p) \bmod n$ . Also, you can do a common spin: spin the Wheel so that the arrow would be pointing at a uniformly random sector. Your skills allow you to do any number of spins any number of times in any order.

You want the arrow to be pointing at sector 0 as soon as possible. Find the expected value of the number of spins required to do so in an optimal strategy. A strategy is considered optimal if it minimizes the said expected value.

## Input

The first line contains three integers: the number of sectors  $n$ , the starting sector of the arrow  $x$ , and the number of power spins  $K$  ( $1 \leq n \leq 10^5$ ;  $0 \leq x \leq n - 1$ ;  $1 \leq K \leq 500$ ).

The second line contains  $k$  distinct integers  $k_1, k_2, \dots, k_K$  ( $1 \leq k_i \leq n$ ).

## Output

Print a line containing two integers  $p$  and  $q$  ( $0 \leq p$ ;  $0 < q$ ): numerator and denominator of an irreducible fraction  $p/q$  which is the expected value of the number of spins. It can be proved that the answer can be represented in this way.

## Examples

<i>standard input</i>	<i>standard output</i>
6 3 2 2 4	8 3
5 4 1 1	1 1