

## Problem M. Most Annoying Constructive Problem

Input file:            **standard input**  
 Output file:          **standard output**  
 Time limit:            **1 second**  
 Memory limit:         **256 megabytes**

The array  $a_1, a_2, \dots, a_m$  of integers is called **odd** if it has an odd number of inversions, and **even** otherwise. Recall that an inversion is a pair  $(i, j)$  with  $1 \leq i < j \leq m$  such that  $a_i > a_j$ . For example, in the array  $[2, 4, 1, 3]$ , there are 3 inversions:  $(1, 3), (2, 3), (2, 4)$  (since  $a_1 > a_3, a_2 > a_3, a_2 > a_4$ ), so it is **odd**.

Given  $n, k$ , determine if there exists a permutation of integers from 1 to  $n$ , which has exactly  $k$  odd subarrays.

An array  $b$  is a subarray of an array  $c$  if  $b$  can be obtained from  $c$  by the deletion of several (possibly, zero or all) elements from the beginning and several (possibly, zero or all) elements from the end.

### Input

The first line contains a single integer  $t$  ( $1 \leq t \leq 10^4$ ) — the number of test cases. The description of the test cases follows.

The only line of each test case contains two integers  $n, k$  ( $1 \leq n \leq 1000, 0 \leq k \leq \frac{n(n-1)}{2}$ ).

It's guaranteed that the sum of  $n^2$  over all test cases doesn't exceed  $4 \cdot 10^6$ .

### Output

For every test case, if there is no such permutation, output **NO**.

Otherwise, output **YES**. In the next line, output  $n$  integers  $p_1, p_2, \dots, p_n$  ( $1 \leq p_i \leq n$ , all  $p_i$  are distinct) — the elements of your permutation.

### Example

standard input	standard output
4	YES
1 0	1
3 3	YES
4 1	3 2 1
6 15	YES 1 3 4 2 NO

### Note

In the first test case, the permutation is  $(1)$ ; all its subarrays are even.

In the second test case, the permutation is  $(3, 2, 1)$ . It has 3 odd subarrays:  $[3, 2], [2, 1]$  with 1 inversion each, and  $[3, 2, 1]$  with 3 inversions.

In the third test case, the permutation is  $(1, 3, 4, 2)$ . It has exactly 1 odd subarrays:  $[4, 2]$  with 1 inversion.

It can be shown that no such permutation exists for the fourth test case.