Problem
Random Numbers
Time limit: 6 seconds

Little Cyan Fish has forgotten a prime number P. He remembers that $9 \times 10^{17} \leq P \leq 10^{18}$.

Before forgetting P, he wrote down n integers $a_1, a_2, \ldots, a_n$. He also wrote down the multiplicative inverse of each integer modulo P, and then shuffled these inverses to obtain $b_1, b_2, \ldots, b_n$. The multiplicative inverse of an integer x modulo P is the unique integer y such that $1 \leq y < P$ and $xy \equiv 1 \pmod{P}$.

Help Little Cyan Fish recover a prime number consistent with his two lists. More formally, find a prime number Q such that $9 \times 10^{17} \leq Q \leq 10^{18}$, every integer in the two lists is smaller than Q, and there is a permutation π of $1, 2, \ldots, n$ satisfying $a_i b_{\pi_i} \equiv 1 \pmod{Q}$ for every $1 \leq i \leq n$.

The input is generated as follows. The prime P is chosen uniformly at random from all primes in $[9 \times 10^{17}, 10^{18}]$. Then $n = 10^5$, and each a_i is chosen independently and uniformly at random from $[1, P-1]$. Finally, the inverses are shuffled uniformly at random. Different test files are generated independently.

There are at most 20 test files.

Input

The first line of the input contains a single integer n ($n = 10^5$).

The second line contains n integers $a_1, a_2, \ldots, a_n$ ($1 \leq a_i < 10^{18}$). The third line contains n integers $b_1, b_2, \ldots, b_n$ ($1 \leq b_i < 10^{18}$).

It is guaranteed that the two lists satisfy the conditions described above for at least one prime P.

Output

Output a single line containing a single integer Q, indicating a prime number consistent with the two lists. If there are multiple valid answers, output any of them.

Sample Input 1	Sample Output 1
1 2 499999999999999995	999999999999999989

The sample does not satisfy the input constraints. It is provided only to illustrate the input and output formats. Your program is not required to pass the sample.

In the sample, $P = 999999999999999989$. For example, $2 \times 499999999999999995 = P + 1$.