

# Basic Counting Practice Problems

Input file:            standard input  
 Output file:          standard output  
 Time limit:           4 seconds  
 Memory limit:        1024 megabytes

Consider a tree with  $n$  nodes, where node 1 is the root. Each node  $i$  in the tree has a weight  $p_i$ , such that  $p_1, p_2, \dots, p_n$  is a permutation.

Let  $L_{u,v}$  denote the maximum weight of any node on the simple path from node  $u$  to node  $v$  (including  $u$  and  $v$ ). Let  $subtree(i)$  represent the set of nodes that make up the subtree of node  $i$ . We define  $S_i = \{u | u \in subtree(i) \wedge L_{u,i} \leq p_i\}$ , which is the set of nodes that can be reached starting from  $i$ , only moving to children and only passing through nodes with weights less than or equal to  $p_i$ . Let  $f_i = |S_i|$ , which represents the size of the set of nodes.

We define the value of a node as  $q_{f_i}$ , where  $q$  is a given value sequence  $q_1, q_2, \dots, q_n$ .

Now we want to compute, for each pair  $(i, j)$ , the sum of the values of node  $i$  for all weight configurations that satisfy  $p_i = j$ . Since the answer may be very large, please output the result modulo  $10^9 + 7$ .

## Input

The first line contains one integer  $n$  ( $1 \leq n \leq 700$ ), representing the number of nodes in the tree.

The next line contains  $n$  integers, representing  $q_1, q_2, \dots, q_n$  ( $0 \leq q_i < 10^9 + 7$ ).

The following  $n - 1$  lines each contain two integers  $u, v$ , representing an edge in the tree.

## Output

Output  $n$  lines, each containing  $n$  integers. The  $i$ -th line and the  $j$ -th integer represent the corresponding answer modulo  $10^9 + 7$ .

## Examples

standard input	standard output
3 1 1 2 1 2 2 3	2 2 4 2 2 2 2 2 2
4 1 2 3 4 1 2 2 3 1 4	6 10 16 24 6 8 10 12 6 6 6 6 6 6 6 6
7 3 7 2 4 1 8 9 1 2 1 3 2 4 4 5 3 6 4 7	2160 3120 3168 2952 2160 3720 6480 2160 2640 2640 2412 2208 2280 2880 2160 2640 3120 3600 4080 4560 5040 2160 3120 3648 3744 3408 2640 1440 2160